

## Non-homogeneous Behaviour of the Spatial Distribution of Macrospicules

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**Abstract.** In this paper the longitudinal and latitudinal spatial distribution of macrospicules is examined. We found a statistical relationship between the active longitude (determined by sunspot groups) and the longitudinal distribution of macrospicules. This distribution of macrospicules shows an inhomogeneity and non-axisymmetrical behaviour in the time interval between June 2010 and December 2012, covered by observations of the Solar Dynamic Observatory (SDO) satellite. The enhanced positions of the activity and its time variation have been calculated. The migration of the longitudinal distribution of macrospicules shows a similar behaviour to that of the sunspot groups.

*Key words.* Active longitude—macrospicules.

### 1. Introduction

The behaviour of solar non-axisymmetric activity has been studied since the beginning of the last century (Chidambara 1932). It has been recognised that the distribution of sunspot groups is not uniform, they tend to cluster to a certain heliographic longitude (Bumba *et al.* 1965; Balthasar *et al.* 1984; Wilkinson *et al.* 1991). These early studies of the active longitudes focused mainly on the distribution of sunspot groups or sunspot relative numbers. From the middle of the 20th century it has been suggested that it is not just the sunspot groups that have a non-homogeneous longitudinal distribution. This inhomogeneity has been found in the case of solar flares (Zhang *et al.* 2007), surface magnetic fields (Benevolenskaya *et al.* 1999), heliospheric magnetic field (Mursula & Hiltula 2004) and, recently, active longitudes have been observed in coronal streamers (Jing 2011).

Macrospicules (hereafter ‘MS’) are chromospheric objects observed in H $\alpha$  and He 30.4 nm (Bohlin *et al.* 1975; Wang *et al.* 1998; Murawski *et al.* 2011; Scullion *et al.* 2011). They are explosive jet-like features extending up to, on average, 29 Mm and velocities up to approximately 110 km/s (Zaqarashvili & Erdélyi 2009). Their structure reflects the solar atmosphere they move through; they are proposed to have

a cool core, surrounded by a hot sheath (Parenti *et al.* 2002). They are of particular use in this study, as they are observed from the solar equator to the poles.

In this paper, we study the longitudinal and latitudinal spatial distributions of MS. Furthermore, we will explore the relationship between the sunspot groups, non-axisymmetric behaviour or Active Longitude (hereafter ‘AL’) and longitudinal distributions of MS.

## 2. Observations and databases

The MS were observed using the 30.4 nm spectral window AIA on-board SDO (Solar Dynamic Observatory) (Lemen *et al.* 2012). This takes a  $4096 \times 4096$  pixel, full disc, image of the Sun at a cadence of 12 s. We took typical samples of two hours, twice a month, from June 2010 until December 2012. For each image the solar limb was flattened out, making it easier to identify and measure the MS. They are extremely difficult to measure on disk and as such, this study concentrates on those occurring at the limb. We record the time at the moment they become visible at the limb and their angular displacement from solar due east. Measuring MS this way we identified 101 examples of MS. The physical dimensions and the heliographic coordinates have been estimated.

The source of sunspot data that we use to calculate the most enhanced longitude of sunspot groups (AL) is the Debrecen Photoheliographic Data (DPD) sunspot catalogue (Győri *et al.* 2011). This database is the continuation of the classic Greenwich Photoheliographic Results (GPR), the source of numerous works in this field. The sunspot catalogue has been used, providing a time sample from 1974. This data sample contains information about area and position for each sunspot.

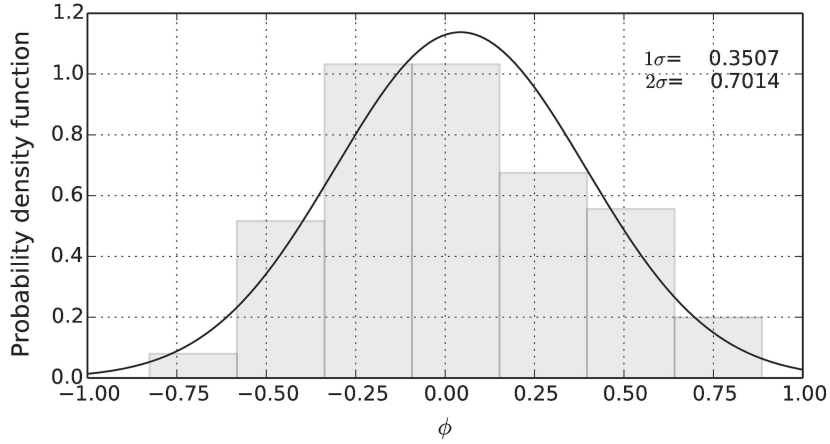
## 3. Statistical study of the latitudinal distribution of MS

To study the latitudinal spatial behaviour of MS, as a first step, we determine the heliographical latitudes ( $B$ ). For further analysis, the Carrington latitudes,  $B$ , have been transformed into the following system:

$$\begin{aligned} \phi &= -(B + 90^\circ)/90^\circ, & B < 0 \\ \phi &= -(B - 90^\circ)/90^\circ, & B > 0 \end{aligned} \quad (1)$$

The domain of interest of the quantity  $\phi$  is  $[-1; 1]$ . The  $\phi = 0$  point contains the northern and southern poles. The  $[0; 1]$  sub-domain of  $\phi$  represents the northern hemisphere, the ascending  $\phi$  values from 0 to 1 show the descending latitudes from  $90^\circ$  to  $0^\circ$ . The southern hemispheres have been considered in the same way.

Figure 1 shows the result of the statistics above. The histogram depicts a normal distribution. The mean of the distribution is  $\bar{\phi} = 0.043$ , suggesting that most of the MS tend to cluster to the poles. We also found that the northern hemisphere was slightly more active in this time period. The standard deviation  $1\sigma = 0.3507$  and  $2\sigma = 0.7014$ . Hence, 68% of the data tend to cluster in a  $31.5^\circ$  wide belt from the poles. That is to say: 68% of MS are between the  $\pm 58.5^\circ$  and  $\pm 90^\circ$  heliographic latitude, and, 95% of MS are in a  $63^\circ$  degrees belt from the poles or between the  $\pm 27^\circ$  and  $\pm 90^\circ$  in heliographic latitude. Therefore, MS are able to exercise longitudinal inhomogeneity at higher latitudes.



**Figure 1.** The grey area shows the probability density function of the parameter  $\phi$ . The solid black line is the fitted Gaussian distribution. The values of standard deviation  $1\sigma$  and  $2\sigma$  of the normal distribution have been indicated in the top right corner.

## 4. Statistical study of longitudinal distribution of MS

### 4.1 Activity maps of active longitudes based on sunspots

According to our previous study (Gyenge *et al.* 2014) the active longitudes' identification method was considered and the active longitude was found to be distinct in each hemisphere. The present investigation started with a similar method as described in our preceding paper (Gyenge *et al.* 2012). The areas and positions of all sunspot groups are considered. The solar surface is divided into longitudinal bins of  $20^\circ$  and the areas of all groups were summed up in each bin:  $A_i$  in certain Carrington Rotation (CR) between 2097 and 2128, which is the time interval of the MS sample. Next, the longitudinal activity concentration is represented by the quantity  $W$  defined by,

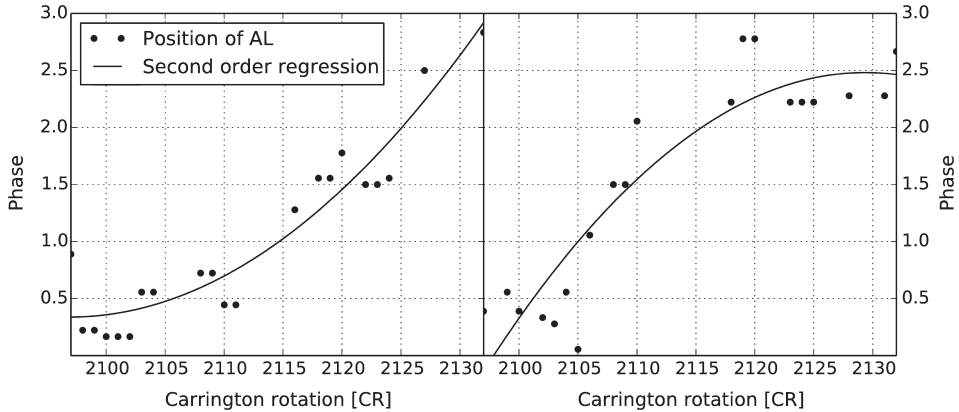
$$W_{i,\text{CR}} = \frac{A_{i,\text{CR}}}{\sum_{j=1}^N A_{j,\text{CR}}}, \quad (2)$$

where  $N$  is the number of bins,  $\sum_{j=1}^N A_{j,\text{CR}}$  is the sum of all sunspot groups in a given CR and  $A_{i,\text{CR}}$  is the total area of sunspot groups in a CR and at a specific longitudinal bin.

In each CR, we omitted all of the  $W_{i,\text{CR}}$  values which are lower than the  $3\sigma$  significance limit. The highest peak,  $AL_{\text{CR}}$ , has been selected from this decayed sample (which contains only the significant peaks) caused by the significance test. For further analysis, the Carrington longitudes,  $\lambda$ , will now be transformed, into Carrington phase period:

$$\psi = \lambda/360^\circ. \quad (3)$$

Hence, the values of the phases are always smaller or equal (which is the entire circumference) to one.



**Figure 2.** The migration of the active longitudes in the time interval of CR 2097 to 2128 based on sunspot groups. The left panel shows the northern hemisphere. The right panel is the southern hemisphere.

The time-variation of the parameter  $AL_{CR}$  is plotted in Figure 2. The vertical axis is the phase parameter, which has been repeated three times. The northern (left-hand side) and the southern (right-hand side) cases are considered separately. Both figures unveil a clear increasing migration pattern. Usoskin *et al.* (2005) and Gyenge *et al.* (2014) found similar patterns at a different time intervals. Most of the migration follows a parabola shape (which has been fitted by the least-squares method).

#### 4.2 Relationship between the AL and MS longitudinal distribution

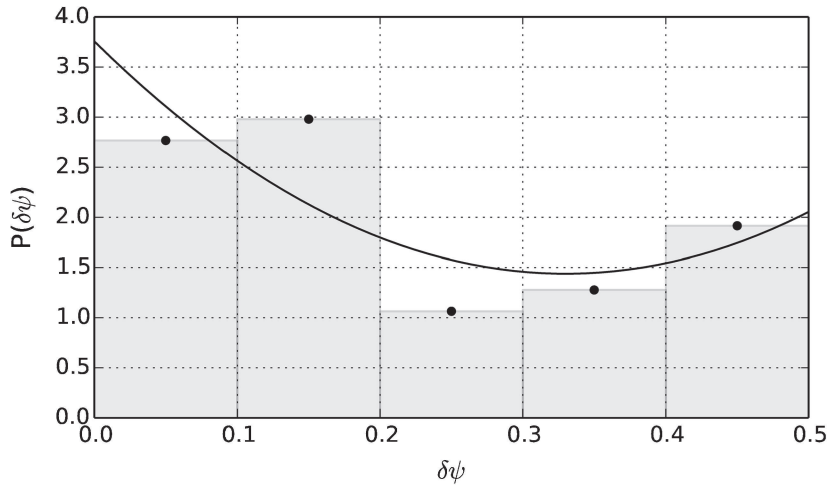
The parameter  $\delta\psi$  is now introduced to study the relationship between the active longitude  $AL_{CR}$  defined by sunspot groups, and the longitudinal position of MS,  $L_{CR}$  in CR

$$\delta\psi = |AL_{CR} - L_{CR}|. \quad (4)$$

The parameter  $\delta\psi$  has been reduced by a unit phase if it is larger than 0.5, which means, this quantity represents the shortest phase difference between the longitudinal position of a given MS and the position of active longitudes in both hemispheres. For further analysis, the  $\delta\psi$  samples of the northern and southern hemispheres are now combined.

The probability density function (PDF) of the quantity  $\delta\psi$  is shown in Figure 3. On the  $x$ -axis, the meaning of the lower values reflect the smallest longitudinal difference in phase; the value 0.5 phase jumps to the opposite side of the Sun.

The MS tend to cluster near the active longitudes, which is shown by the first and second peaks:  $\delta\psi < 0.2$  ( $< \pm 36^\circ$ ) 61% of the candidates. However, there is a significant peak around 0.5, which is the signature of the appearance of secondary longitudinal belts. The secondary belt always exists at the same time as the primary. Note that the latter is always stronger than the secondary belt, and the phase shift is around 0.5. The MS show a similar behaviour. A secondary belt appears for 22% of the events and  $\delta\psi < 0.1$  ( $< \pm 18^\circ$ ).



**Figure 3.** The probability density function (PDF) of the  $\delta\psi$  parameter.

## 5. Results and discussion

We investigated the distribution of macrospicules detected at the solar surface as a function of their longitudinal and latitudinal coordinates in Carrington coordinates.

A non-homogeneous latitudinal macrospicule distribution has been found. Most of the events tend to cluster to the higher latitudes (95% of MS are within the  $\pm 27^\circ$  to  $\pm 90^\circ$  heliographical latitude). The number of events is found to be growing exponentially from the equator to the pole in both hemispheres.

A slightly asymmetrical behaviour has been found between the two hemispheres in the studied time interval, where the northern hemisphere was marginally more active than the southern. In the studied time period other phenomena show northern–southern asymmetry. The northern hemisphere was significantly more active in terms of the averaged maximum sunspot area (northern hemisphere: 203, southern hemisphere: 183) and the international sunspot number (northern hemisphere: 29, southern hemisphere: 18). For this reason we assume that the location of the MS might be connected to the solar dynamo processes, however, caution must be exercised as this conclusion is based on a rather limited statistical sample.

The longitudinal spatial distribution of MS is not uniform either. A large proportion of the MS (83 from the 101 in our sample) tend to cluster to the AL. In the case of the primary active longitude belt, the macrospicules are within  $\pm 36^\circ$  of the active longitude. The second belt has a  $\pm 18^\circ$  wide range where the macrospicule is found to be concentrated. This supports the existence of an active longitude at higher latitudes. MS instances extend up to 50 Mm in the solar atmosphere. Therefore, they have been proposed as a viable candidate for solar wind acceleration and coronal heating (see e.g. Pike & Harrison 1997).

The origin of such MS is either due to wave modes (e.g., Zaqrashvili & Erdélyi 2009; Scullion *et al.* 2011) or by magnetic reconnection (Wilhelm 2000; Heggland *et al.* 2009; Murawski *et al.* 2011). However, how these triggering mechanisms of

MS are related with magnetic flux transport processes is not yet known. Recently, Kayshap *et al.* (2013) reported the evolution of a small-scale bipolar flux tube in quiet-Sun and its internal reconnection to produce MS. This provides some clue to the connection of localized generation of macrospicule with small-scale magnetic field evolution. However, more statistics in terms of the observations and stringent modelling are needed to explore this aspect of MS origin.

The temporal variation of the number of MS has been investigated, but the correlation between the temporal density of MS and the increasing trend of Solar Cycle 25 has not yet been found. A reason for the lack of finding such correlation could be the limited time period and sample size of the data investigated.

A large sample and more comprehensive statistical study is now in preparation for a more detailed search for further identifiable non-homogenous longitudinal distributions of MS in the entire time period covered by observations of the SDO satellite.

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